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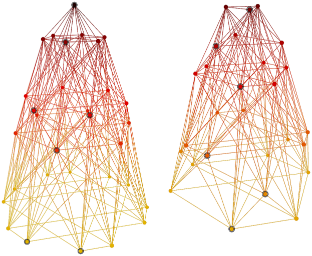
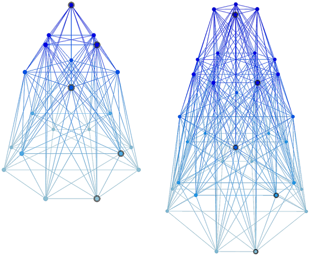
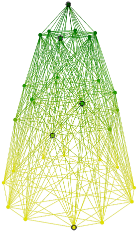


x2

$G = \mathrm{PGL}_3(\mathbb{C})$



$G = \mathrm{SO}_5(\mathbb{C})$



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Strategy IV: $\mathbb{C}^{\times}$-orbits in Springer fibre

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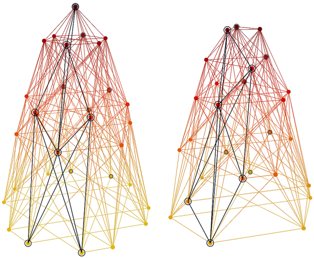

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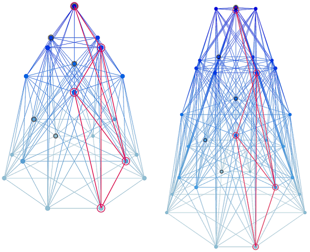

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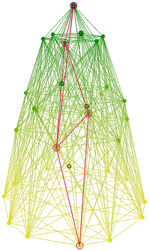

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